8175 Puzzle Game

Once upon a time, there was a little dog YK. One day, he went to an antique shop and was impressed by a beautiful picture. YK loved it very much. However, YK did not have money to buy it. He begged the shopkeeper Bob whether he could have it without spending money.

Fortunately, Bob enjoyed puzzle game. He promised to give YK a picture for free if YK can solve a puzzle game for him.

Bob drew a puzzle board, which was a $n \times m$ matrix consisting of $n \times m$ cells. And there was an integer in each cell. A sub-matrix was a matrix that was a continuous part of the puzzle board (The whole puzzle board could also be called a sub-matrix). The value of a submatrix meant the sum of integers in the cells of the sub-matrix. The sub-matrix which had the largest value was called "the largest sub-matrix". Bob wanted to make the value of the largest sub-matrix as small as possible by selecting one cell on the board and changed the integer in it into P. But if making that kind of change would not do anything good, he didn't have to change any cell.

In such a situation, YK needed to calculate the minimum value of the largest sub-matrix Bob could get.

Input

There are no more than 120 test cases, but at most 3 test cases in which $n \geq 50$ or $m \geq 50$.

The first line of each case contains three integers, above mentioned n, m and P ($1 \leq n, m \leq 150, -1000 \leq P \leq 1000$).

Then n lines follow. Each line contains m integers $x_1, x_2, \ldots, x_m$ ($-1000 \leq x_i \leq 1000$, $i = 1 \ldots m$).

These n lines are the $n \times m$ integers in the $n \times m$ cells of the puzzle board.

Output

For each test case, you should output the minimum value of the largest sub-matrix Bob could get.

Sample Input

```
3 3 -10
-100 4 4
4 -10 4
4 4 1
3 3 -1
-2 -2 -2
-2 -2 -2
-2 -2 -2
```

Sample Output

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8
-2
```