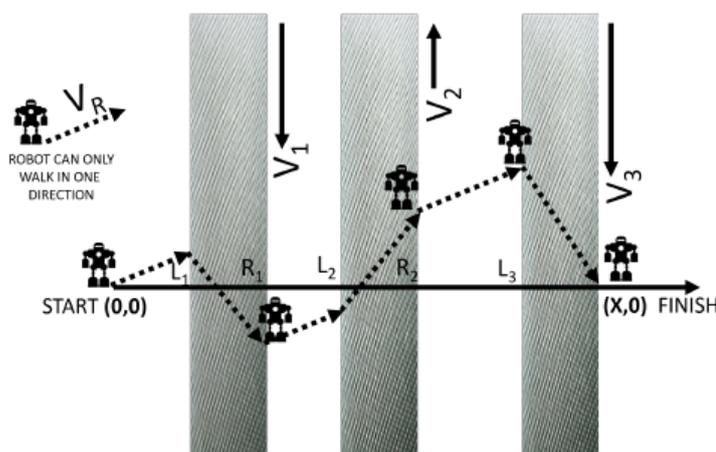


8115 Straight Shot

You have a toy robot that walks straight at a constant speed v , and you wish for it to travel on the two-dimensional plane from $(0, 0)$ to $(X, 0)$. If the plane were empty, you could start the robot facing straight east from the origin, and it would walk there in X/v time. Unfortunately, between the start and the destination are n moving sidewalks, each moving directly north or south, which affect the robot's position while it is walking.



The direction that robot is facing is not changed by the sidewalks; the robot will face in the same orientation for the entire duration of its walk. These sidewalks are aligned with the y -axis and are infinitely long. You still must get the robot to go from start to finish, but you'll need to adjust the orientation of the robot at the start. Given that you choose this direction correctly, so that the robot arrives exactly at the destination, how long will it take the robot to get there?



One final caveat: You don't want the toy robot to walk for too long. If the robot cannot reach the destination in at most twice the time it would take in the absence of all moving sidewalks (i.e., $2X/v$), indicate this.

Input

The input file contains several test cases, each of them as described below.

The first line consists of three space-separated numbers n , X , and v ($0 \leq n \leq 100$; $1 \leq X \leq 1,000,000$; $1.0 \leq v \leq 100.0$). Note that v is not necessarily an integer.

Each of the next n lines contains three space-separated numbers l_i , r_i , and v_i ($0 \leq l_1 < r_1 \leq l_2 < r_2 \leq \dots \leq l_n < r_n \leq X$; $-100.0 \leq v_i \leq 100.0$), describing the i th moving sidewalk. The integer l_i denotes the left edge of the sidewalk, the integer r_i denotes the right edge of the sidewalk, and the decimal number v_i denotes the speed of the sidewalk. A positive speed means the sidewalk moves north, while a negative speed means the sidewalk moves south.

Output

For each test case, the output must follow the description below.

If the robot cannot reach the destination in at most twice the time it would take in the absence of all moving sidewalks, output ‘Too hard’ on a single line (without quotation marks).

Otherwise, output, on a single line, the travel time of the robot from the start to the destination, rounded and displayed to exactly three decimal places.

Sample Input

```
1 806873 66
91411 631975 -57.5
2 422193 100
38180 307590 86.4
366035 403677 -4.7
1 670764 22.4
113447 642610 -64.8
```

Sample Output

```
15055.988
5043.896
Too hard
```