7513 Billboard

There are a lot of unused rectangular billboards along route R-55. The Big Green company wants to use them for advertising. They want to design a green rectangular poster and place it on the billboards on which it will fit (unfortunately the billboards are not standardized — they come in various sizes). The advertisement department figured out that the objective should be to maximize the total area of the posters deployed. A poster of size $w \times h$ feet fits on a billboard of size $a \times b$ feet if and only if $w \leq a$ and $h \leq b$ (that is, we cannot rotate the posters). At most one poster can be placed on each billboard.

Input

The first line contains k, the number of problems. Then the description of the problems follows. Each problem is described on several lines. The first line contains n, the number of billboards, then n lines follow. The i-th line contains the width and height of the i-th billboard. Each width and height is a positive integer not larger than 30,000. You may assume that n is at most 5,000.

Output

The output contains one line for each problem — the width and height of the poster which will cover the maximum total area when placed on all billboards on which it fits. If there are multiple optimal solutions then you must output an optimal solution with the smallest width. If there are multiple optimal solutions with the smallest width, from these solutions output the one with the smallest height.

Explanation:

For the first input there are five optimal solutions: 1×2, 1×4, 2×1, 2×2, 4×1 (the solutions are listed in order of increasing width, and, in case of the same width, in order of increasing height; each solution covers 4 square feet in total).

For the second input there is one optimal solution: 3×3 (the solution covers 18 square feet in total since it fits on the last two billboards).

Sample Input

```
2
3
1 4
2 2
4 1
4
1 4
2 2
3 3
4 4
```

Sample Output

```
1 2
3 3
```