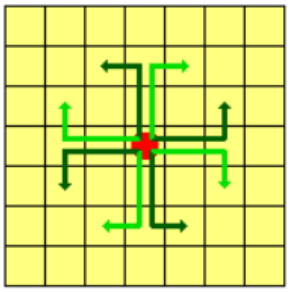
7122 Tight Knight



A knight in chess can move from its current position on a chessboard to any empty square that is either

- two steps vertically and one step horizontally, or
- one step vertically and two steps horizontally

away from its current position. Thus a knight positioned in the middle of an otherwise empty board could move to any of eight different locations, as shown in the accompanying diagram.

The empty/occupied status of any intermediate squares is irrelevant. A knight can only be blocked by an obstacle on the actual destination square.

Consider an $n \times m$ chessboard, $1 \leq n \leq 1000$, $1 \leq m \leq 1000$. A knight has been placed on square (i, j) of the board, where the rows and columns are numbered beginning at 1, so that $1 \leq i \leq n$, $1 \leq j \leq m$. There are c obstacles on squares of the board, $0 \leq c \leq 5000$. The knight cannot move to the squares with obstacles.

Can we prevent the knight from reaching another square (k, l), $1 \leq k \leq n$, $1 \leq l \leq m$, by adding at most one obstacle?

Input

Input may include multiple test cases.

Each test case starts with seven integers on a single line separated by spaces: n, m, i, j, k, l, c. End of input is signalled by a line containing seven integers with n being zero.

Following that first line of the test case are c lines, each with two integers x, y, specifying the location (x, y) of each of the obstacles. $1 \leq x \leq n$, $1 \leq y \leq m$. No obstacle will be placed at (i, j) or (k, l).

Output

For each test case, print exactly one line of output. If the knight cannot reach cell (k, l) or can be prevented from reaching cell (k, l) by adding at most one obstacle (at a location other than (i, j) or (k, l)), print '`Yes`'. If not, print '`No`'.

Sample Input

```
4 4 1 1 4 4 2
1 4
4 1
4 4 1 1 4 4 2
1 4
3 2
0 0 0 0 0 0 0
```

Sample Output

```
No
Yes
```