

## 6621 Pocket Cube

Pocket Cube is a 3-D combination puzzle. It is a  $2 \times 2 \times 2$  cube, which means it is constructed by 8 mini-cubes. For a combination of  $2 \times 2$  mini-cubes which sharing a whole cube face, you can twist it 90 degrees in clockwise or counterclockwise direction, this twist operation is called one twist step.

Considering all faces of mini-cubes, there will be totally 24 faces painted in 6 different colors (Indexed from 0), and there will be exactly 4 faces painted in each kind of color. If 4 mini-cubes' faces of same color rely on same large cube face, we can call the large cube face as a completed face.



Now giving you an color arrangement of all 24 faces from a scrambled Pocket Cube, please tell us the maximum possible number of completed faces in no more than  $N$  twist steps.

Index of each face is shown as below:

		0	1		
		2	3		
4	5	6	7	8	9
10	11	12	13	14	15
		16	17		
		18	19		
		20	21		
		22	23		

### Input

There will be several test cases. In each test case, there will be 2 lines. One integer  $N$  ( $1 \leq N \leq 7$ ) in the first line, then 24 integers  $C_i$  separated by a single space in the second line. For index  $0 \leq i < 24$ ,

$C_i$  is color of the corresponding face. We guarantee that the color arrangement is a valid state which can be achieved by doing a finite number of twist steps from an initial cube whose all 6 large cube faces are completed faces.

### Output

For each test case, please output the maximum number of completed faces during no more than  $N$  twist step(s).

### Sample Input

```
1
0 0 0 0 1 1 2 2 3 3 1 1 2 2 3 3 4 4 4 4 5 5 5 5
1
0 4 0 4 1 1 2 5 3 3 1 1 2 5 3 3 4 0 4 0 5 2 5 2
```

### Sample Output

```
6
2
```