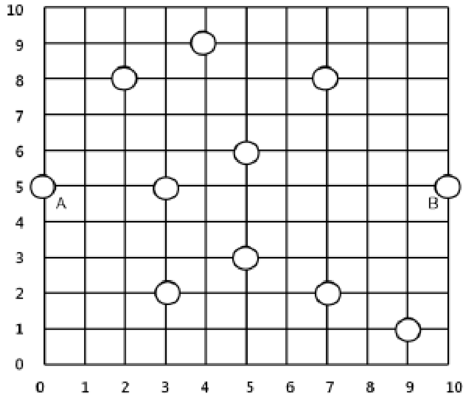
4851 Restaurant



Mr. Kim is planning to open a new restaurant. His city is laid out as a grid with size $M \times M$. Therefore, every road is horizontal or vertical and the horizontal roads (resp., the vertical roads) are numbered from 0 to $M - 1$. For profitability, all restaurants are located near road junctions. The city has two big apartments which are located on the same horizontal road. The figure below shows an example of a city map with size 11×11. A circle represents an existing restaurant and a circle labeled with 'A' or 'B' represents the location of an apartment. Notice that a restaurant is already located at each apartment. Each road junction is represented by the coordinate of the ordered pair of a vertical road and a horizontal road. The distance between two locations (x_1, y_1) and (x_2, y_2) is computed as $|x_1 - x_2| + |y_1 - y_2|$. In the figure below, the coordinates of A and B are $(0, 5)$ and $(10, 5)$, respectively.

Mr. Kim knows that the residents of the two apartments frequently have a meeting. So, he thinks that the best location of a new restaurant is halfway between two apartments. Considering lease expenses and existing restaurants, however, he can't select the optimal location unconditionally. Hence he decides to regard a location satisfying the following condition as a *good place*. Let $dist(p, q)$ be the distance between p and q.

> A location p is a *good place* if for each existing restaurant's location q, $dist(p, A) < dist(q, A)$ or $dist(p, B) < dist(q, B)$. In other words, p is not a good place if there exists an existing restaurant's location q such that $dist(p, A) \geq dist(q, A)$ and $dist(p, B) \geq dist(q, B)$.

In the above figure, the location $(7, 4)$ is a good place. But the location $p = (4, 6)$ is not good because there is no apartment which is closer to p than the restaurant at $q = (3, 5)$, i.e., $dist(p, A) = 5 \geq dist(q, A) = 3$ and $dist(p, B) = 7 \geq dist(q, B) = 7$. Also, the location $(0, 0)$ is not good due to the restaurant at $(0, 5)$. Notice that the existing restaurants are positioned regardless of Mr. Kim's condition.

Given n locations of existing restaurants, write a program to compute the number of good places for a new restaurant.

Input

Your program is to read the input from standard input. The input consists of T test cases. The number of test cases T is given in the first line of the input. Each test case starts with a line containing two integers M and n ($2 \leq M \leq 60{,}000$ and $2 \leq n \leq 50{,}000$), which represent the size of a city map and the number of existing restaurants, respectively. The $(i+1)$-th line of a test case contains two integers x_i and y_i ($i = 1, 2, \ldots, n$ and $0 \leq x_i, y_i < M$), which represents the coordinate of the i-th existing restaurant. Assume that all restaurants have distinct coordinates and that the two apartments A and B are positioned at the locations of 1-st restaurant and 2-nd restaurant. Notice that A and B are placed on the same horizontal line.

Output

Your program is to write to standard output. Print exactly one line for each test case. Print the number of good places which can be found in a given city map.

The following shows sample input and output for two test cases.

Sample Input

```
2
6 3
1 3
4 3
0 2
11 11
0 5
10 5
4 9
2 8
7 8
5 6
3 5
5 3
3 2
7 2
9 1
```

Sample Output

```
2
16
```