

## 3493 01000001

Adding binary numbers is a very simple task, and very similar to the longhand addition of decimal numbers. As with decimal numbers, you start by adding the bits (digits) one column at a time, from right to left. Unlike decimal addition, there is little to memorize in the way of rules for the addition of binary bits:

$$\begin{aligned}0 + 0 &= 0 \\1 + 0 &= 1 \\0 + 1 &= 1 \\1 + 1 &= 10 \\1 + 1 + 1 &= 11\end{aligned}$$

Just as with decimal addition, when the sum in one column is a two-bit (two-digit) number, the least significant figure is written as part of the total sum and the most significant figure is “carried” to the next left column. Consider the following examples:

	11 1 <-- Carry bits --> 1 11	
1001101	1001001	1000111
+ 0010010	+ 0011001	+ 1010110
-----	-----	-----
1011111	1100010	10011101

The addition problem on the left did not require any bits to be carried, since the sum of bits in each column was either 1 or 0, not 10 or 11. In the other two problems, there definitely were bits to be carried, but the process of addition is still quite simple.

### Input

The first line of input contains an integer  $N$ , ( $1 \leq N \leq 1000$ ), which is the number of binary addition problems that follow. Each problem appears on a single line containing two binary values separated by a single space character. The maximum length of each binary value is 80 bits (binary digits). Note: The maximum length result could be 81 bits (binary digits).

### Output

For each binary addition problem, print the problem number, a space, and the binary result of the addition. Extra leading zeroes must be omitted.

### Sample Input

```
3
1001101 10010
1001001 11001
1000111 1010110
```

**Sample Output**

```
1 1011111
2 1100010
3 10011101
```